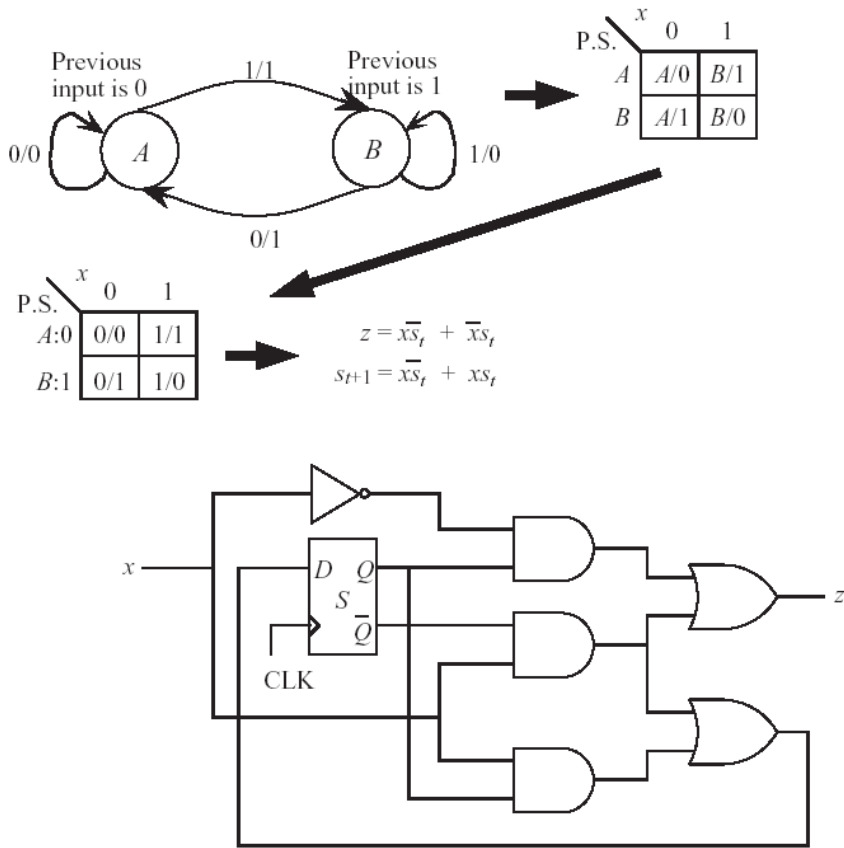


Homework Lecture 2 (solutions)

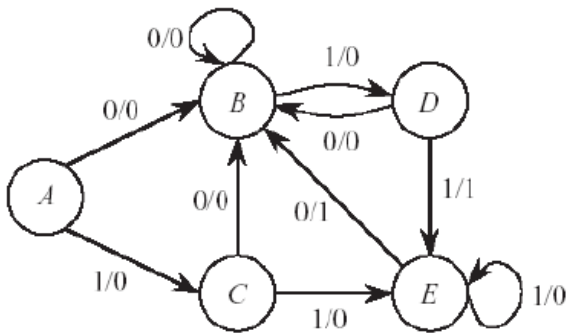
1. Exercise A.28



This is the solution of the author. My comment:

- Instead of $z = x\bar{s}_t + \bar{x}s_t$ write $= x \cdot \bar{s}_t + \bar{x} \cdot s_t$
- S_{t+1} is not minimal. Minimum SOP-form is $S_{t+1} = x$

2. Exercise A.29

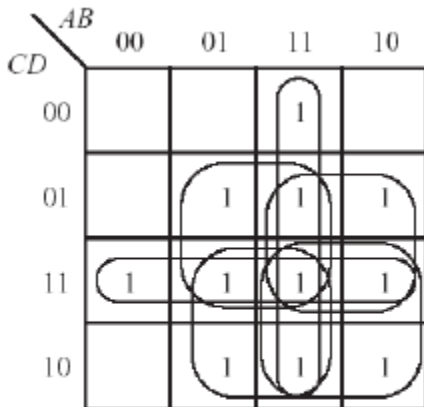


Meanings of States	
<i>A</i>	No inputs seen yet
<i>B</i>	Seen '0'
<i>C</i>	Seen '1'
<i>D</i>	Seen '01'
<i>E</i>	Seen '11'

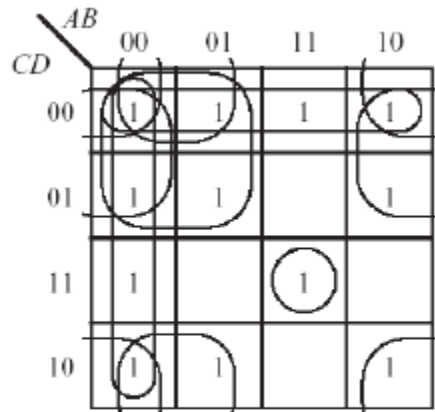
Input P.S.	<i>X</i>	
	0	1
<i>A</i>	<i>B</i> /0	<i>C</i> /0
<i>B</i>	<i>B</i> /0	<i>D</i> /0
<i>C</i>	<i>B</i> /0	<i>E</i> /0
<i>D</i>	<i>B</i> /0	<i>E</i> /1
<i>E</i>	<i>B</i> /1	<i>E</i> /0

I would have used meaningful names for the states, e.g. *S*₀ (zero detected), *S*₁, *S*₀₁ (zero followed by 1 detected) and *S*₁₁.

3. Exercise A.36



$$f(A,B,C,D) = AB + CD + BD + AD + BC + AC$$



$$g(A,B,C,D) = ABCD + \bar{B}\bar{D} + \bar{C}\bar{D} + \bar{A}\bar{B} + \bar{A}\bar{D} + \bar{A}\bar{C} + \bar{B}\bar{C}$$

4. Exercise A.37

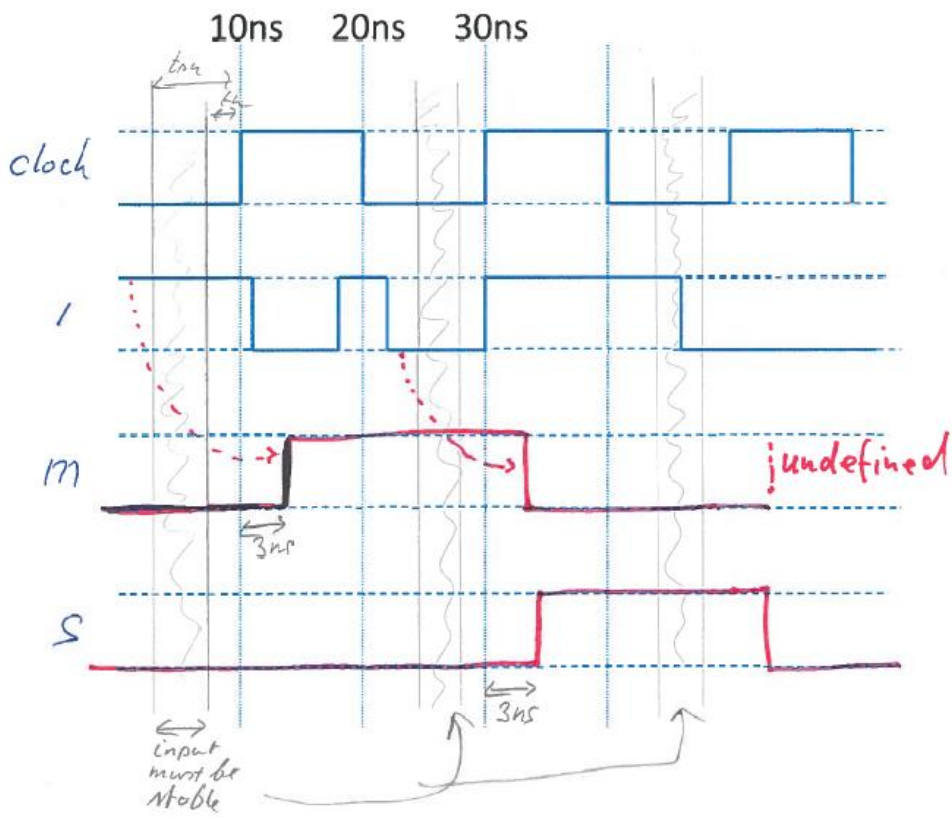
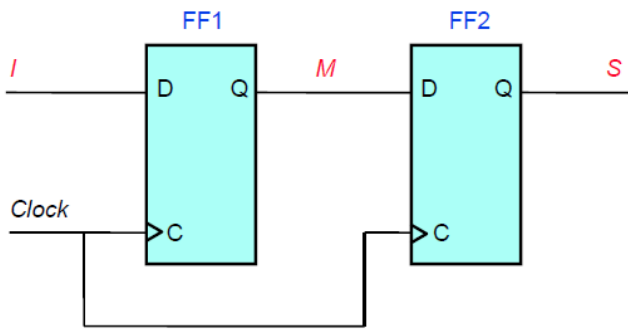
$AB \backslash CD$	00	01	11	10
00	d			1
01				d
11				1
10	1			1

SOP Form: $f(A,B,C,D) = A\bar{B} + \bar{B}\bar{D}$

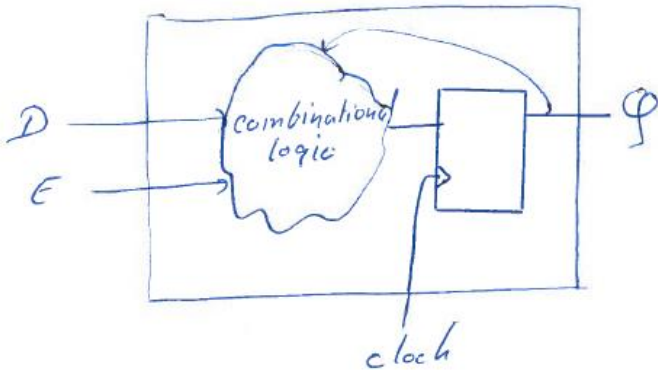
5. Exercise A.38

No. The don't cares are used during the design process. Once the design is fixed, the don't cares are either 0 or 1.

6. Exercise: 2 FF's in series



7. Exercise: realize a DE flip-flop



Function table DE flip-flop

E	D	Q+
0	0	Q
0	1	Q
1	0	0
1	1	1

The combinational logic has as inputs: Q, D and E and the output is connected to the input of the D flip-flop.

Q	E	D	Q+
0	0	0	0
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	1
1	0	1	1
1	1	0	0
1	1	1	1

Behavior of D flip-flop: if Q should be 1 after the next clock cycle the data input must be 1, if Q should be 0 after the next clock cycle the data input must be 0. Hence:

Q	E	D	Q+	DQ
0	0	0	0	0
0	0	1	0	0
0	1	0	0	0
0	1	1	1	1
1	0	0	1	1
1	0	1	1	1
1	1	0	0	0
1	1	1	1	1

DQ is input of flip flop Q

Karnaugh-map
ED

Q		00	01	11	10
0		0	0	1	0
1		1	1	1	0

The minimal SOP-form for the combinational logic is:

$$DQ = Q \cdot \bar{E} + E \cdot D$$